

## SENARAI NAMA FASILITATOR / MODERATOR / PENGERUSI MATA PELAJARAN PROGRAM PEARLS PPSMI DAERAH PERAK TENGAH TAHUN 2008

| BIL | NAMA MODERATOR | NAMA SEKOLAH | MATA PELAJARAN |
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| 1 | Pn. Naziha bt. Mohd Nor | SMK SERI ISKANDAR | PHYSICS |
| 2 | Pn. Rozaidah bt. Mohd Nor | SMK CHANGKAT LADA | CHEMISTRY |
| 3 | Pn. Zuradatolakma bt. Din | SMK. SULTAN MUHAMMAD SHAH | BIOLOGY |
| 4 | Pn. Yasmin bt. Hamid | SMK DATO' SERI MAHARAJA LELA | SCIENCE PMR |
| 5 | Cik Noor Haya bt. Ayub | SMK. DATO' SERI MAHARAJA LELA | SCIENCE SPM |
| 6 | En. Abdul Ghani b. Mohd Haris | SMK SULTAN MUZAFAR SHAH 1 | MATHEMATICS SPM |
| 7 | Tn. Hj. Roslie b. Amri | SMK SULTAN ABDUL JALIL SHAH | MATHEMATICS PMR |
| 8 | En. Mohd Sabri b. Zaini | SM TEKNIK SERI ISKANDAR | ADD. MATHEMATICS |
| 9 | Pn. Nor Haslinda bt. Hod | SMK LAYANG-LAYANG KIRI | SCIENCE PMR |
| 10 | Pn. Anita bt. Haris | SK. TOH PADUKA RAJA | SCIENCE SR |
| 11 | En. Fairuz b. lbrahim | SK. DATO' SAGOR, KG. GAJAH | MATHEMATICS SR |


| BIL | NAMA FASILITATOR | SEKOLAH | SUBJEK |
| :--- | :--- | :--- | :--- |
| 12 | EN ROSLI BIN MAUN | SK SERI ISKANDAR | MATEMATIK SR. |
| 13 | PN ZUREIDAH BT HJ HURI | SK BOTA KANAN | MATEMATIK SR. |
| 14 | EN MOHAMAD RAZHUAN B NAPI | SK TEPUS | MATEMATIK SR. |
| 15 | EN HASHIM B TALIB | SK BOTA KIRI | SAINS SR. |
| 16 | EN MOHAMAD SUHAIMI B ALIAS | SK. SERI KAYA | SAINS SR. |
| 17 | PN. NUR HIDAYAH PEONG BT ABDULLAH | SK PARIT | SAINS SR. |
| 18 | PN. ROSNIAH BT. ZAINOL ABIDIN | SK. CHANGKAT LADA 2 | SAINS SR. |
| 19 | EN. AZAHAN B. ABU HASSAN | SK. TELUK KEPAYANG | SAINS SR. |


| BIL | PENGERUSI PANITIA DAERAH | SEKOLAH |
| :---: | :--- | :--- |
| 20 | Matematik Sekolah Rendah | SK. SERI ISKANDAR |
| 21 | Sains Sekolah Rendah | SK. BOTA KIRI |
| 22 | Matematik Sekolah Menengah | SMKA SULTAN AZLAN SHAH |
| 23 | Sains Teras Sekolah Menengah | SMK. SULTAN ABDUL JALIL SHAH |
| 24 | Fizik | SM. TEKNIK SERI ISKANDAR |
| 25 | Kimia | SMK. SUNGAI RANGGAM |
| 26 | Biologi | SMK. DATO' ABDUL RAHMAN YAAKUB |

KUMPULAN SATU

KETUA : JAMALIAH BINTI ARIFFIN ( S.K BOTA KANAN )

PENCATAT : RASIDAH BINTI KAMARUDDIN ( S.K BAKONG )

SETIAUSAHA : NOR RASIDAH BINTI AHMAD ( S.K PASIR GAJAH )

AJK

1. JAMALIATULSHUHAIDAH BT KAMARUDIN (SK LAYANG-LAYANG KIRI)
2. NOOR HAYATI BINTI SULAIMAN ( S.K BOTA KIRI )
3. SARINA BINTI ABDUL MAJID ( S.K FELCRA NASARUDDIN )
4. NOORLIZA BINTI MOHAMAD ( S.K BUKIT CHUPAK )

## TOPIC : SHAPE AND SPACE <br> LEARNING AREA : TWO DIMENSIONAL SHAPES <br> LEARNING OBJECTIVE : FIND THE AREA AND PERIMETER TWO DIMENSIONAL SHAPES <br> LEARNING OUTCOME : 1) CALCULATE THE PERIMETER OF SQUARE AND RECTANGLES

## CASE:

- Pupils do not calculate all the sides given
- Pupils repeating calculation the sides
- Pupils answers the question directly without showing the calculation step
- Pupils did not give the complete answer


## FIRST SOLUTION

Pupils must know what is the concept of perimeter. TER is " TAMBAH " all the sides at the outsides length of the shapes.
example :
The diagram below consists of squares of equal size. Find the perimeter of the whole diagram.


Pupils must know the operation needed to find a perimeter is addition. That is by adding all the sides given.
$2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}=24 \mathrm{~cm}$

## SECOND SOLUTION

Pupils must tick the side that have been counted according to clock wise or right to left.


## THIRD SOLUTION

A) Guide pupils to add up the length of each side:
e.g. 1)
$2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}+2 \mathrm{~cm}=24 \mathrm{~cm}$

Or
2) $2 \mathrm{~cm} \mathrm{x} 12=24 \mathrm{~cm}$
B) Explain that the total length of the sides is the perimeter of the shapes.

FOURTH SOLUTION
Pupils must make sure to give the answer in the unit needed.
EXAMPLE
Give the answer in the unit given

## 24 cm

nATHEMATICS YEAR TOPIC : MASS

4
-

## GROUP2



## GROUP MATHEMATICS (PRIMARY SCHOOL)

CASE : No 2
CLASS : Year 4
TOPIC : Mass
LEARNING AREA : Relationship between units of mass
LEARNING OBJECTIVE : Understand the relationship between units of mass.
LEARNING OUTCOME: Convert units of mass from
a) kilograms to grams,

CASE 1: ~ Pupils unable to convert kilogram to grams and vice versa
$\sim$ Pupils not clearly the concept of Mass
~ Pupils confuse the value of Kg and gram

## First Solution

Sing the value of unit Kilogram and grams.
1 kilogram, 1000 gram \} $2 \times$
Pupils sing the place values of unit kilogram and gram in melody of ` Are You Sleeping'. Teacher using this melody by singing in lyrics as below:

One kilogram, one kilogram
One thousand grams, one thousand grams
One kilogram... One thousands grams....
One kilogram...., One thousand sgrams.....
One thousand grams, one thousand grams,
One kilogram, one kilogram,
One thousands grams..., One kilogram...,
One thousands grams...., One kilogram....
The technique will improve pupils ability to remember relationship between kilogram to grams and vice versa easily.

## Second Solution

A container consists 1000 marbles. Each of the marble weighing 1 gram . All of them are being put in the container which has been labeled of 1 kg . Through observation pupils will be able to understand that 1000 marbles is equal to $1 \mathbf{k g}$.


## Third Solution

Compare ten cubes of equal size which is weighing 100 grams of each cubes with one object of 1 kg by using balance equipment.


Through observation, pupils be able to understand the concepts of comparison between one object and ten cubes of equal size that represent the similar weight which is 1 kg

## Fourth Solution

Reading the weighing scale.


Through observation pupils will be able to read the weighing scales.

Case :3
Class : Year 4
Topic : Length
Learning Area : Relationship between units of length
Learning Objective : Understand the relationship between units of length
Learning Outcomes: Convert units of length from:
a. millimetres to centimetres and vice-versa
b. centimetres to metres and vice-versa

Case : Pupils unable to identify when they must use multiplication or division when solving conversion of units of length questions.
: Pupils had set in their mind that they must divide or multiply the number by 1000 when they do the conversion of units of length, especially when they convert units of length from centimetres to metres and vice-versa that must multiply or divide number by 100 .

## First Solution

Measuring objects in millimetres, centimetres and metres.
(i) Reinforcement the concept of length by measuring the objects by using millimetres, centimetres and metres units.
(ii) Provide a rope that has been cut into 1 metre.
(iii) Ask pupils to work in group to measure the rope.
(iv) Ask pupils to measure in metre and centimetre units.
(v) Pupils will find out that 1 metre is equal to 100 centimetres.
(vi) Proceed with other measurement with different length by using other objects in the classroom using both units of length, metre and centimetre.
(vii) Ask pupils to measure a 1 cm paper strip in millimetres and centimetres units.
(viii) Pupils will find out that 1 cm equal to 10 mm .
(ix) Proceed with other objects and ask pupils to measure the objects in cm and mm .

## Second Solution

## Conversion Cards

(i) State the relationship between units of length.
(ii) Show the cards of conversion units of centimetre to metre and vice-versa, and units of millimetres to centimetres.

$$
\begin{aligned}
& 1 \mathrm{~m}=100 \mathrm{~cm} \\
& 1 \mathrm{~cm}=10 \mathrm{~mm}
\end{aligned}
$$


(iii) Guide pupils to use the conversion cards.
(iv) Pose the following question and ask pupils to complete the table.

| Questions | Workings | Answers |
| :---: | :---: | :---: |
| e.g: 1 m | $1 \times 100$ | 100 cm |
| 2 m | cm |  |
| 3.2 m |  | cm |
| 4.3 m |  | cm |
| 5.8 m |  | cm |
| 7.6 m |  | cm |
| 9.91 m |  | $=[\mathrm{cm}$ |


| Questions | Workings | Answers |
| :---: | :---: | :---: |
| e.g: 100 cm | $100 \div 100$ | 1 m |
| 200 cm |  | m |
| 3200 cm |  | m |
| 4300 cm | m |  |
| 5800 cm | m |  |
| 7600 cm | m |  |
| 9910 cm | m |  |


| Questions | Workings | Answers |
| :---: | :---: | :---: |
| e.g: 1 cm | $1 \times 10$ | 10 mm |
| 2 cm | mm |  |
| 3.2 cm |  | mm |
| 4.3 cm | mm |  |
| 5.8 cm | mm |  |
| 7.6 cm | mm |  |
| 9.9 cm | mm |  |


| Questions | Workings | Answers |
| :---: | :---: | :---: |
| e.g: 10 mm | $10 \div 10$ | 1 cm |
| 20 mm |  | cm |
| 32 mm | cm |  |
| 430 mm | cm |  |
| 5800 mm | cm |  |
| 7600 mm | cm |  |
| 9910 mm | cm |  |

## Third Solution

## Conversion Table

| mm | cm |
| :---: | :---: |
| 10 | 1 |
| 9 | 0.9 |
| 8 | 0.8 |
| 7 | 0.7 |
| 6 | 0.6 |
| 5 | 0.5 |
| 4 | 0.4 |
| 3 | 0.3 |
| 2 | 0.2 |
| 1 | 0.1 |


| cm | m |
| :---: | :---: |
| 100 | 1 |
| 90 | 0.9 |
| 80 | 0.8 |
| 70 | 0.7 |
| 60 | 0.6 |
| 50 | 0.5 |
| 40 | 0.4 |
| 30 | 0.3 |
| 20 | 0.2 |
| 10 | 0.1 |

(i) Oral drills on conversion of units using conversion table.
(ii) Pupils are divided into 2 groups, A and B .
(iii) A pupil from group A says a measurement and a pupil from group B convert the units using conversion table.
(iv) Activity is repeated until all pupils have participated.

Fourth Solution
Incomplete Conversion Table

| mm | Cm |
| :---: | :---: |
|  | 1 |
| 9 | 0.8 |
|  | 0.7 |
| 6 |  |
| 5 |  |
| 4 |  |
| 3 | 0.2 |
|  | 0.1 |


| cm | m |
| :---: | :---: |
| 100 |  |
| 90 | 0.8 |
|  | 0.7 |
| 60 |  |
| 50 | 0.4 |
|  | 0.3 |
| 20 | 0.1 |

(i) Provide the number cards to complete the conversion table.
(ii) The number cards are jumbled up and spread out on the table.
(iii) Pupils work in group and paste the cards onto the conversion table one by one.
(iv) The first group complete the table correctly is the winner.

## Fifth Solution

Match Cards
(i) Provide 2 sets of measurement cards to each group for pupils to match.
e.g
8 m
18.9 cm
800 cm
189 mm
(ii) The cards are jumbled up and spread out on the table.
(iii) Pupils work in pairs and match the cards correctly.
(iv) The first couple to complete the game correctly is the winner.

## Sixth Solution

## Units of Length Family Game Cards

(i) Provide three sets of number cards in three units of length which are metres, centimetres and millimetres.
(ii) There are 4 players in the game.
(iii) Pupils try to get the same value of cards in different units of metres, centimetres and millimetres.
(iv) The first player that can match the cards to its units of length family will win the game.


## GROUP MATHEMATICS (PRIMARY SCHOOL)

CASE: No. 8
CLASS: Year 4
TOPIC: Volume Of Liquid
LEARNING AREA: Relationship between units of volume of liquid
LEARNING OBJEKTIVE: Understand the relationship between units of volume of liquid.
LEARNING OUT COMES:
i. Convert units of volume, from
a) لlitres to mililitres,
b) mililitres to litres,
c) litres and mililitres to litres,
d) litres and mililitres to mililitres

CASE: Pupils unable to convert between unit of volume of liquid

## First Solution

Show to the pupils how to convert and measuring using the beaker, cylinder and water.
e.g: Pour out $2 /$ water into the measuring cylinder to make 2000 ml .


2 liters $\qquad$ 2000 mililiters

## Second Solution

Guide pupils to convert litres to mililitres using partitioning

```
e.g: 1.8/= 1/+ 0.8/
    = 1000 ml + 800 ml
    = 1800 ml
```

Third Solution
e.g: 1.81

| liter | mililiter |
| :---: | :---: |
| 1 | 1000 |
| 0.8 | 800 |

$=1000 \mathrm{ml}+800 \mathrm{ml}$
$=1800 \mathrm{ml}$

## Fourth Solution

Explain the conversion using concept of fraction with the help of diagram.
e.g : $1800 \mathrm{ml}=$ $\qquad$ 1

| 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml | 100 ml |

1800 ml out of 1000 ml is 1800
1000
$1800=1.8$
1000
$1800 \mathrm{ml}=1.8 \mathrm{l}$

## Fifth Solution

Guide pupils to convert liter to milliliters using conversion table

| Conversion table |  |
| :---: | :---: |
| 1.01 | 1000 ml |
| 0.91 | 900 ml |
| 0.81 | 800 ml |
| 0.71 | 700 ml |
| 0.61 | 600 ml |
| 0.51 | 500 ml |


| Conversion table |  |
| :---: | :---: |
| $1 / 21$ | 500 ml |
| $1 / 41$ | 250 ml |
| $3 / 41$ | 750 ml |

## Sixth Solution

THE RELATION BETWEEN
LITER AND MILILITER



Jinnee with 3 eyes.

1. Make sure pupils know how many milliitres in one litre.
2. Ask pupils to write down the relationship between litres and millilitres.
3. Shows the relationship between litres and milliliters.
4. Shows pupils how to convert from litres to milliliters and vice versa.


## GROUP MATHEMATICS

GROUP 5
SK PARIT
SK CHOPIN
SK CHANGKAT BANJAR
SJKT BULOH AKAR
SK TANJONG BIDARA
SK CHANGKAT LADA 3

CASE: No 5
CLASS: Year 4
TOPIC: Fractions
LEARNING AREA: Equivalent Fractions
LEARNING OBJECTIVE: Express equivalent fractions for proper fractions.
LEARNING OUTCOME: Express equivalent fractions to its simplest form.

CASE 1: $\quad$ Pupils unable to express and write equivalent fractions to its simplest form.

Pupils difficult to divide the numerator and denominator of the fractions by the same number

Pupils not clear the concept of the simplest form.

## FIRST SOLUTION

1) Use Cuisenare rods or fractions strips

- Teacher gives example ?

4

- Teacher express $\underline{2}$ in its simplest form 4
a) prepare a fraction strip of 4 equal parts
b) colour 2 parts blue
c) Fold the strip again into 2 part


## Ask pupils what has happened to the fourths (four equal part)

 The fourths have become two equal parts.
## * Notice that $\frac{2}{4}=\frac{1}{2}$

So $\underline{1}$ is the simplest form for $\underline{2}$
2
4

## Second Solution

1. Teacher using a Fraction Chart to find the simplest form for $\underline{2}$
2. 


2. Colour $\underline{1}$ of every strip. 2

## Third Solution

1. Teacher uses Multiplication Table (MPT).
2. Pupils do multiplication with reference to the time-tables.
3. Put the different colour to the first row and the first column.

| $X$ | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 2 | 2 | 4 | 6 | 8 | 10 | 12 | 14 | 16 | 18 |
| 3 | 3 | 6 | 9 | 12 | 15 | 18 | 21 | 24 | 27 |
| 4 | 4 | 8 | 12 | 16 | 20 | 24 | 28 | 32 | 36 |
| 5 | 5 | 10 | 15 | 20 | 25 | 30 | 35 | 40 | 45 |
| 6 | 6 | 12 | 18 | 24 | 30 | 36 | 42 | 48 | 54 |
| 7 | 7 | 14 | 21 | 28 | 35 | 42 | 49 | 56 | 63 |
| 8 | 8 | 16 | 24 | 32 | 40 | 48 | 56 | 64 | 72 |
| 9 | 9 | 18 | 27 | 36 | 45 | 54 | 63 | 72 | 81 |

4. Teacher gives example.
$\frac{2}{4}$
5. Pupils identify 2 and 4 in which time-table.
6. Look at the first column (coloured column) which is the same row with 2 and 4.

| $X$ | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 2 | 2 | 4 | 6 | 8 | 10 | 12 | 14 | 16 | 18 |
| 3 | 3 | 6 | 9 | 12 | 15 | 18 | 21 | 24 | 27 |
| 4 | 4 | 8 | 12 | 16 | 20 | 24 | 28 | 32 | 36 |
| 5 | 5 | 10 | 15 | 20 | 25 | 30 | 35 | 40 | 45 |
| 6 | 6 | 12 | 18 | 24 | 30 | 36 | 42 | 48 | 54 |
| 7 | 7 | 14 | 21 | 28 | 35 | 42 | 49 | 56 | 63 |
| 8 | 8 | 16 | 24 | 32 | 40 | 48 | 56 | 64 | 72 |
| 9 | 9 | 18 | 27 | 36 | 45 | 54 | 63 | 72 | 81 |

7. They will get the answer $\frac{1}{2}$

## Forth Solution (Enrichment)

1. Teacher gives example ?

4
2. List down the number that can divide 2 and 4 .

| 2 | 1 | 2 |
| :--- | :--- | :--- | :--- |
| 4 | 1 | 4 |

3. Choose the same number.
4. Then, identify the biggest number.
5. Divide the numerator and denominator by the identified number.

$$
\frac{2 \div 2}{4 \div 2}=\frac{1}{2}
$$



A fraction in the simplest form has a numerator and denominator which cannot be simplified any further.

## Group 6: SK Seberang Perak

 SK Telok Bakong SK Telok Perang SK Changkat Lada 2 SK LengkuasSJK (C) Chung Hwa Parit
SJK (T) Ladang Serapuh
Class: Year 5
Topic: Percentage
Learning Area: Percentage
Learning Objective: Relate fractions and decimals to percentage
Learning Outcome: Convert percentage to fraction in its simplest form
CASE 1 : Pupils unable to convert percentage to fractions in its simplest form
: Pupils forget to convert fractions in its simplest form
CASE EXAMPLES: $50 \%=50 / 100$

$$
=5 / 10 \text { (pupils tend to leave the answer as it is) }
$$

First solutions:

1. A hundred square paper and shade 50 squares

2. Pupils write the coloured fractions: 50/100
3. Pupils draw diagram of the equivalent fraction of its simplest form

4. Pupils write the equivalent fraction of its simplest form: $1 / 2$

## Second solutions: Concrete

1. There are 100 marbles in red and blue colours in a box.
(100 marbles)
Red and blue
2. Pupils separate the marbles according to the colours.

Red (50)
Blue (50)
3. Pupils divide into two groups according to the colours.

| Red | $\mid$ |
| :--- | :--- |
|  | $\mid$ Blue |
|  |  |

4. The fraction of red marbles are $50 / 100$ from the total.

## Third Solutions:



1. Teacher prepares an egg tray with 100 holes and sweets in 3 different shapes.
2. Teacher puts the sweets randomly in the egg tray.
3. Pupils are asked to rearrange the sweets according to the shape.
4. Pupils will get the answers

Example

## $\bigcirc \triangle$

$26 / 100$ or $14 / 100$ or $60 / 100$
5. Pupils are asked to write the fraction of each shapes from the total.

## Fourth solutions:

1. Pupils refer to the timetables of 10 to find the equivalent fractions of $50 / 100$

| 1 | X | 10 | $=$ | 10 |
| :--- | :--- | :--- | :--- | :--- |
| 2 | X | 10 | $=$ | 20 |
| 3 | X | 10 | $=$ | 30 |
| 4 | X | 10 | $=$ | 40 |
| $\mathbf{5}$ | X | $\mathbf{1 0}$ | $=\mathbf{5 0}$ |  |
| 6 | X | 10 | $=$ | 60 |
| 7 | X | 10 | $=$ | 70 |
| 8 | X | 10 | $=80$ |  |
| 9 | X | 10 | $=90$ |  |
| $\mathbf{1 0}$ | $\mathbf{X}$ | $\mathbf{1 0}$ | $=\mathbf{1 0 0}$ |  |

2. Pupils refer to timetables of 5 to find the equivalent $5 / 10$

| $\mathbf{1}$ | $\mathbf{X}$ | $\mathbf{5}$ | $=$ | $\mathbf{5}$ |
| :--- | :--- | :--- | :--- | :--- |
| $\mathbf{2}$ | $\mathbf{X}$ | $\mathbf{5}$ | $=$ | $\mathbf{1 0}$ |
| 3 | X | 5 | $=$ | 15 |
| 4 | X | 5 | $=$ | 20 |
| 5 | X | 5 | $=$ | 25 |
| 6 | X | 5 | $=$ | 30 |
| 7 | X | 5 | $=$ | 35 |
| 8 | X | 5 | $=$ | 40 |
| 9 | X | 5 | $=$ | 45 |
| 10 | X | 5 | $=$ | 50 |

3. Pupils get $1 / 2$.

# TOPIC: TIME 

## SUBTOPIC : ADDING TIME IN HOURS AND MINUTES

PREPARED BY: GROUP 7


## CASE 1 :

- PUPILS UNABLE TO RECALL THE RELATIONSHIP BETWEEN UNITS OF TIME



## EXAMPLE :

## $2 \mathrm{hr} 30 \mathrm{~min}+2 \mathrm{hr} 50 \mathrm{~min}=$



## SOLUTION 1:

- Pupils rewrite the question in vertical form.

$$
\begin{array}{r}
2 \mathrm{hr} 30 \mathrm{~min} \\
+2 \mathrm{hr} \quad 50 \mathrm{~min} \\
\hline
\end{array}
$$



- Draw a line to separate the column of hours and minutes.



## NEXT.

- First, add the
numbers in the minute column then continue with the numbers in the hour column.



## NEXT...

- Pupils determine whether the total of minutes is more than 60. If, yes minus 60 and add 1 hour to the hour column.

| 2 hr | 30 min |
| ---: | ---: |
| $+\quad 2 \mathrm{hr}$ | 50 min |
| 4 hr | 80 min |
| +1 hr | -60 min |
| 5 hr | 20 min |



## SOLUTION 2:

- Pupils use the prepared cards to calculate the required minutes in vertical form.


NEXT...
60 min $=1$ hour

- Pupils determine whether the total of minutes is more than 60 . If, yes minus 60 and add 1 hour to the hour column.

Answer: $5 \mathbf{h r} 20 \mathrm{~min}$


Mathematics Primary School

Case Disccussions

## Case 1

Topic : Fractions ( Subtract Mixed Numbers )
Year: 5
Case : Subtract a Whole Number from a Mixed Numbers
E.G. $31 / 2-1$

Case : Subtract a Mixed number From a Whole Number
E.G : 5-3 2/5

Case 2
Topic: Fractions (Divide Fractions with a whole number and fraction )
Year : 6
Case: $4 \div 3 / 4$

## Case 3

```
Topic : Length (Conversation units of Length )
Year : 4
Case : 217 m =
```

$\qquad$

``` km
        5cm =
```

$\qquad$

``` mm
0.7 m=
```

$\qquad$

``` cm
```


## Case 4

Topic : Decimal (Subtraction and addition a decimal number from a mixed number) Year : 4

Case : 4-3.24=
$4+3.24=$

Mathematics Primary School

## Case Disccussions

## Case 1

Topic : Fractions ( Subtract Mixed Numbers )
Year: 5
Case : Subtract a Whole Number from a Mixed Numbers
E.G. $31 / 2-1$

Case : Subtract a Mixed number From a Whole Number

$$
\text { E.G: } 5-31 / 2
$$

Case 1:
Last week during my T\&L process for year 5 pupils on the topic of fractions, I gave 2 type of questions, that is :
a) $31 / 2-1$ and
b) $3-1 \frac{1}{2}$

In case (a) almost all the pupils can get the correct answers, but in case (b) 70\% of the pupils gave the wrong answers , as shown

$$
3-1 \frac{1}{2}=21 / 2
$$

This shown that the pupils were confused about the subtraction of whole with mixed number.

## Solution 1

a) Show the pupils 3 and $1 / 2$ glasses of orange juice. Take away 1 glass of orange juice. Ask them what is the remainder?

* $31 / 2-1=21 / 2$

$21 / 2$
b) Show the pupils 3 glasses of orange juice. Take away 1 glass of orange juice than poured out another $1 / 2$ of a glass of orange juice. Ask them what is the reminder?
* $3-1 \frac{1}{2}=1 \frac{1}{2}$


$11 / 2$


## Solution 2

a)Draw diagram as shown below


Ask them to slash 1 shape, than ask them what is the remainder?

b)Draw diagram as shown below


Divide one of the rectangle to 2 equal parts


Ask Them to slash of $1 / 2$ of the rectangle Then ask them what is the remainder ?

## Solution 3 :

By calculation (in vertical Form )

## Step 1

Revise the bacis operations of subtraction
a)

| tens | Ones |
| :---: | :---: |
| 3 | 4 |
| -1 | 0 |
| 2 | 4 |

b)

| tens | Ones |
| :---: | :---: |
| 3 | 0 |
| -1 | 4 |
| 1 | 6 |

## Solution 3

## Step 2

a) $3 \frac{1}{1} 4-1=2^{1 / 4}$

| Whole <br> number | Fraction |
| :---: | :---: |
| 3 | $1 / 4$ |
| -1 | 0 |
| 2 | $1 / 4$ |

b) $3-11 / 4=13 / 4$


